

ST. GEORGE'S C of E PRIMARY SCHOOL

MATHS POLICY

By the Staff of St George's

Prepared by Mrs K Stringer

This policy needs to be read in conjunction with:

Equality statement  
Assessment Policy  
Inclusion Policy  
Health and Safety policy  
Feedback policy

### **Philosophy**

At St. George's we believe that mathematics is an essential set of skills, which are necessary for completing everyday life. Mathematics equips pupils with a uniquely powerful set of tools such as logical reasoning and problem solving to understand and change the world.

### **Aims**

- To provide experiences that are stimulating, exciting and relevant so that children are motivated, learn willingly and so develop their mathematical skills to their full potential.
- To promote enjoyment of learning through practical activity exploration and discussion.
- become fluent in the fundamentals of mathematics, including through varied and frequent practice with increasingly complex problems over time, so that pupils develop conceptual understanding and the ability to recall and apply knowledge rapidly and accurately (NC)
- reason mathematically by following a line of enquiry, conjecturing relationships and generalisations, and developing an argument, justification or proof using mathematical language (NC)
- can solve problems by applying their mathematics to a variety of routine and non-routine problems with increasing sophistication, including breaking down problems into a series of simpler steps and persevering in seeking solutions
- To develop success, confidence and a sense of achievement so that children are able to talk about and explain their work and to apply their knowledge and understanding to solve real life problems.

### **Context**

Mathematics teaches children how to make sense of the world around them through developing their ability to calculate, reason and solve problems. It is a core subject with a range of cross-curricular links taught discretely, but using opportunities from

other subjects to rehearse skills in a context. Mathematic teaching involves developing confidence, fluency and competence in number work; shape, space and measure; handling data and the using and applying of these skills. We aim to support children in achieving economic well-being by equipping children with a range of computational skills and the ability to solve problems in a variety of contexts using the National Curriculum 2014 and the statutory framework for the Early Years Foundation Stage.

The programmes of study are organised into apparently distinct domains, but pupils should make rich connections across mathematical ideas to develop fluency, mathematical reasoning and competence in solving increasingly sophisticated problems. They should also apply their mathematical knowledge to science and other subjects.

The expectation is that the majority of pupils will move through the programmes of study at broadly the same pace. However, decisions about when to progress should always be based on the security of pupils' understanding and their readiness to progress to the next stage. Pupils who grasp concepts rapidly should be challenged through being offered rich and sophisticated problems before any acceleration through new content. Those who are not sufficiently fluent with earlier material should consolidate their understanding, including through additional practice, before moving on.

The broad content of our maths scheme is taken from the New National Curriculum 2014 and the Curriculum Guidance for the Early Years Foundation Stage. This is implemented through the use of the schemes of work as per the National Curriculum for maths, for YR to Y6. Fluency in maths is developed through Little Big Maths in the Early Years and Big Maths daily sessions in years 1 to 6. This ensures continuity and progression across all year groups and key stages.

## **Delivery**

### **Early Years**

Mathematics involves providing children with opportunities to develop and improve their skills in counting, understanding and using numbers, calculating simple addition and subtraction problems; and to describe shapes, spaces, and measures.

Children are able to develop and extend their mathematical skills and concepts through free and structured play and practical activities. Maths is delivered through specialised maths equipment, set activities, everyday language, story, songs action rhymes, games and PE. The children are encouraged to talk about their work, ask questions, make decisions and learn with others. Areas of learning include counting, sorting, matching, looking for patterns, making connections, recognising relationships and working with numbers, shapes, space and measures and problem solving.

In the Reception class the children have a weekly maths focus and then work in small groups on related activities during the week. There is a daily oral/mental lesson when the whole class work on counting, comparing, ordering numbers etc. When appropriate the children are introduced to the daily three-part maths lesson.

### **Years 1 to 6**

In their maths work the children look for and investigate patterns and relationships, ask questions, make predictions, solve problems by developing and using their skills and knowledge and communicate their ideas in a variety of ways – discussions, explanations, writing, diagrams. They use computers, ipads, calculators and a wide range of mathematical tools/equipment.

#### **Big Maths and Little Big Maths**

Each year group from Nursery to year 6 has a Big Maths or Little Big Maths session on a daily basis. Years 1 to 6 also complete a Beat That Learn Its Challenge  
The following information has been taken directly from the New National Curriculum and is to be implemented from September 2014.

#### **Key stage 1 Programme of Study**

##### **Years 1 and 2**

The principal focus of mathematics teaching in Key Stage 1 is to ensure that pupils develop confidence and mental fluency with whole numbers, counting and place value. This should involve working with numerals, words and the four operations, including with practical resources (for example, concrete objects and measuring tools).

At this stage, pupils should develop their ability to recognise, describe, draw, compare and sort different shapes and use the related vocabulary. Teaching should also involve using a range of measure to describe and compare different quantities such as length, mass, capacity/volume, time and money.

By the end of year 2, pupils should know the number bonds to 20 and be precise in using and understanding place value. An emphasis on practice at this early stage will aid fluency.

Pupils should read and spell mathematical vocabulary, at a level consistent with their increasing word reading and spelling knowledge at key stage 1.

#### **Lower Key Stage 2 Programme of Study**

##### **Years 3 and 4**

The principal focus of mathematics teaching in lower key stage 2 is to ensure that pupils become increasingly fluent with whole numbers and the four operation, including number facts and the concept of place value. This should ensure that pupils develop efficient written and mental method and perform calculation accurately with increasingly large whole numbers.

At this stage, pupils should develop their ability to solve a range of problems, including with simple fractions and decimal place value. Teaching should also ensure that pupils draw with increasing accuracy and develop mathematical reasoning so they can analyse shapes and their properties, and confidently describe the relationships between them. It should ensure that they can use measuring instruments with accuracy and make connections between measure and number. By the end of year 4, pupils should have memorised their multiplication tables up to and including the 12 multiplication table and show precision and fluency in their work. Pupils should read and spell mathematical vocabulary correctly and confidently, using their growing word reading knowledge and their knowledge of spelling.

### **Upper Key Stage 2 Programme of Study Years 5 and 6**

The principal focus of mathematics teaching in upper key stage 2 is to ensure that pupils extend their understanding of the number system and place value to include larger integers. This should develop the connections that pupils make between multiplication and division with fractions, decimals, percentages and ratio.

At this stage, pupils should develop their ability to solve a wider range of problems, including increasingly complex properties of numbers and arithmetic, and problems demanding efficient written and mental methods of calculation. With this foundation in arithmetic, pupils are introduced to the language of algebra as a means for solving a variety of problems. Teaching in geometry and measures should consolidate and extend knowledge developed in number. Teaching should also ensure that pupils classify shapes with increasingly complex geometric properties and that they learn the vocabulary they need to describe them.

By the end of year 6, pupils should be fluent in written methods for all four operations, including long multiplication and division, and in working of fractions, decimals and percentages.

### **Leadership and Management**

The subject leader's role is to empower colleagues to teach maths to a high standard and support staff in the following ways:

- By keeping up to date on current issues; disseminating relevant information and providing training for staff members (either directly or through other professionals)
- Leading by example / modelling lessons or styles of teaching
- Having a knowledge of the quality of mathematics provision across the school
- Monitor and evaluate the implementation of the policy and new framework through classroom observations, scrutiny of planning, sampling children's work, looking at displays and analysing SAT and assessment test results. Feedback will be given to individual members of staff and to all staff on issues for the whole school.
- Identifying and acting on development needs of staff members
- Monitoring expectations, provision and attainment across the school and providing feedback to develop practice further in order to raise standards.

- Providing necessary equipment and maintaining it to a high standard.

### **Presentation and Marking**

The previous day's work should be ruled off. The short date and learning objective should be clearly identified at the start of each day's work. In KS1 the teacher will do this.

All children will record their work in pencil. Children should be encouraged to space out their work: one digit per square and an empty line left between each row of work. The children will progress from using blank paper to 2 cm. square to 1cm. square paper as appropriate.

Rulers should be used at all times. Operation signs should be written on the bottom left hand side of the sum for vertical written strategies. Formation of numbers should be corrected.

Corrections should be clearly labelled. Incorrect work should be re-written in full before commencing further work.

In KS 2 children are given the opportunity to self assess using highlighters.

Marking should follow the school's policy.

### **Assessment, Recording and Reporting**

Assessment, record keeping and reporting in maths follow the school's policies. Formative assessments are made against learning objectives at the end of each lesson and recorded in the class teacher's assessment diary or on the planning to inform the next days planning. Children's work, discussion and self assessment should be used to guide this assessment. These are then used to inform the next lesson allowing staff to match the correct level of work to the needs of the children to ensure progression. Review activities are carried out before and after each programme of study to assess prior learning and aid planning to ensure the appropriate objectives are covered for that class for that particular domain. Assessment through marking, evidence of work and discussion with the children is carried out during each programme of study to assess the children's knowledge and understanding of the area of work covered. The results are used to inform planning when the objectives are revisited in subsequent units.

Pupils in Y2 and Y6 take the national SAT tests and pupils in Y3, Y4 and Y5 take the optional SATs for their year group.

The assessment results are analysed and areas of strengths and weaknesses are highlighted. The information is placed on the termly and yearly school Tracking system (Scholarpack) and is analysed by class teachers and the Maths and assessment coordinators. This information is then used by staff to inform their future teaching and planning and allow the school to move forward.

### **Target setting**

“I can” targets for pupils in years 1 to 6 under emerging, expected and exceeding have been developed for each year group in accordance with the expectation of the New Curriculum.

### **Special needs (additional needs?)**

Activities within the classroom are planned to encourage full and active participation of all pupils irrespective of ability. Work is differentiated to ensure success for all children. Interventions such as Numicon and Numbers Count are carried out on a daily basis for specific children. These interventions are reviewed regularly through Pupil Progress meetings and support allocated according to needs.

Children not on line to achieve two levels of progress from Key Stage 1 to 2 are prioritised for additional intervention, as are those who are working below the level of expectation for their age. Class teachers are responsible for the content of these sessions although they may be delivered by a different teacher, HLTA or TA. Wave 3 intervention may also be used, to support individual pupils, to fill gaps in understanding.

Children are identified as Gifted and Talented mathematicians in accordance with the Gifted and Talented policy.

### **Gifted and Talented**

Children who are gifted and talented in mathematics are identified by class teachers and noted on Scholarpack. Staff develop the individual needs of these children through extended problem solving activities, involving higher thought processes. Activities include differentiation and challenge, offering open-ended investigations, the use of extended vocabulary and more elaborate language as well as independent activities to enrich and extend their thinking.

### **Multi-Cultural Education**

Mathematical teaching and learning reflects the multi-cultural nature of our society and there are opportunities for children to learn about mathematical aspects of their own everyday lives and those of others.

### **Equal opportunities**

The maths curriculum offers an equal opportunity of access to all, irrespective of gender, race or special needs etc.

### **Health and safety**

Maths resources will be examined in light of the school's Health and Safety Policy. It is the responsibility of staff to notice any damage or loss and to report their concerns to the co-ordinator. Children will be shown how to handle equipment and resources in an appropriate and safe way.

### **Cross-curricular links**

The children use and apply their mathematical knowledge, skills and understanding in most areas of the curriculum including English, geography, science, design and technology.

Computing can enhance the teaching of mathematics significantly. It has ways of impacting on learning that are not possible with conventional methods. Teachers can use software to present information visually, dynamically and interactively, so that children understand concepts more quickly. A range of software and resources are available to support work with the computers and ipads. Computing is used in the maths lesson when the software meets the lesson's objectives.

### **Resources**

Resources are kept in each classroom and the Community Room. Resources are labelled, appropriately stored and are easily accessible. Staff should ensure that resources are checked before being returned to the correct storage area so that they are available for the next person.

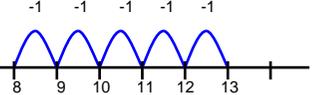
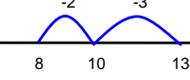
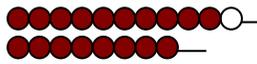
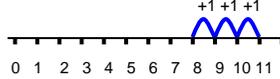
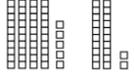
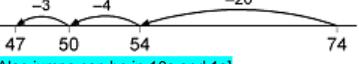
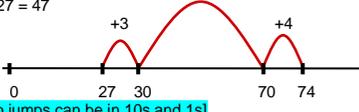
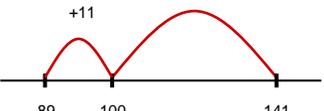
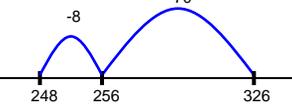
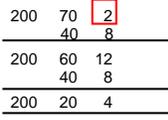
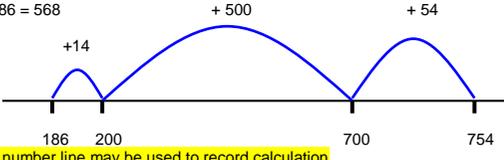
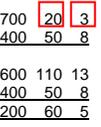
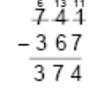
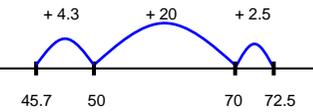
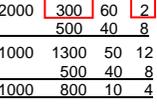
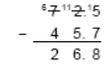
### **Monitoring and Evaluating**

The Maths Subject Leader will also provide an annual summary report to the Head Teacher in which s/he evaluates the strengths and weaknesses in mathematics, and indicates areas for further improvement.

The subject leader provides a report to the Governing Body about the delivery and attainment of mathematics in school.

Policy approved by Governors

Date for review

<b>YR</b>	Subtraction as 'taking away' from a group	Practical or recorded using ICT (eg digital photos / pictures on IWB)	Pictures / Objects I have five cakes. I eat two of them. How many do I have left?  Might be recorded as: $5 - 2 = 3$	Symbols Mum baked 9 biscuits. I ate 5. How many were left? [Might be recorded as: $9 - 5 = 4$ ] 	1 less (nos up to 10)	(see recording)		
<b>Y1</b>	Subtraction as 'taking away' and 'difference' (by counting on)  U - U TU - U (bridging 10)	Practical or recorded using ICT  Pictures / Symbols (see above)	Taking away – jumps of 1 (modelled using bead strings) $13 - 5 = 8$  	Taking away (efficient jumps) $13 - 5 = 8$  No number line: $13 - 3 = 10$ $10 - 2 = 8$	Counting on – jumps of 1 (modelled using bead strings) $11 - 8 = 3$  	Counting on (efficient jumps) Number line / no number line $8 + 2 = 10$ $10 + 1 = 11$	Subtraction facts to 10  1 / 10 less than a number	TU – multiple of 10
<b>Y2</b>	Subtraction as inverse of addition TU – TU (bridging 10s)	Pictures / Symbols $45 - 22 = 23$ 	Number lines - taking away $74 - 27 = 47$  [Also jumps can be in 10s and 1s]	Partitioning $74 - 27$ $74 - 20 = 54$ $54 - 4 = 50$ $50 - 3 = 47$	Number lines – counting on $74 - 27 = 47$  [Also jumps can be in 10s and 1s]	Subtraction facts to at least 10	Difference by counting up  TU – U / multiple of 10	
<b>Y3</b>	TU – TU HTU – TU HTU – HTU	Number line – counting on $141 - 89 = 52$ 	Number line - taking away $326 - 78 = 248$  Vertical number line may be used to record calculation	Partitioning $326 - 78$ $326 - 70 = 256$ $256 - 6 = 250$ $250 - 2 = 248$	Decomposition $272 - 48 = 224$ [Red Alert] 	Subtraction facts to 20  Differences of multiples of 10	TU – U / TU  HTU – HTU (by finding the difference)  TU – near multiple of 10 (positive answers)	
<b>Y4</b>	HTU – TU HTU – HTU  Decimals: money (£7.85 – £3.49)	Number lines – counting on $754 - 186 = 568$  Vertical number line may be used to record calculation	Partitioning $754 - 186$ $754 - 100 = 654$ $654 - 80 = 574$ $574 - 6 = 568$	Decomposition $723 - 458 = 265$ [Red Alert] 	Decomposition (compact method) 	Derive differences of pairs of multiples of 10 / 100 / 1000	TU – TU  Subtract pairs of multiples of 10 / 100 / 1000  (Th)HTU – (Th)HTU (small difference)	
<b>Y5</b>	ThHTU – HTU  Decimals up to 2dp (72.5 – 45.7)	Number lines – counting on $72.5 - 45.7 = 26.8$ 	Partitioning $72.5 - 45.7$ $72.5 - 40 = 32.5$ $32.5 - 5 = 27.5$ $27.5 - 0.7 = 26.8$	Decomposition $2362 - 548 = 1814$ [Red Alert] 	Decomposition (compact method) $72.5 - 45.7$ 	Use number facts for mental subtraction $9 - 2 = 7$ $0.9 - 0.2 = 0.7$ $0.09 - 0.02 = 0.07$	Near multiple of 1000 – Near multiple of 1000 (eg 6070 – 4097)  Decimal – Decimal (eg 9.5 – 3.7)	
<b>Y6</b>	Consolidate / extend Y5 including: Decimal to 3 dp relating to measures	Recognise when one written method is more efficient. (See Y5 methods of recording) <ul style="list-style-type: none"> <li>&gt; There was 2.5 litres in the jug. Stuart drank 385 ml. How much was left?</li> <li>&gt; 18.07 km – 3.243 km</li> </ul>				(as above)	Integer / decimal (1dp) – Integer / decimal (1dp)	

Estimation and checking



# ADDITION

## AGE-RELATED

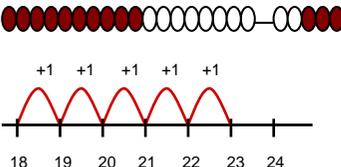
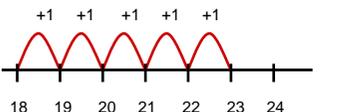
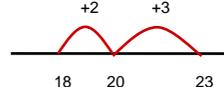
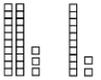
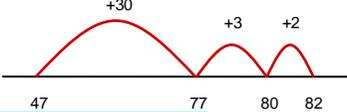
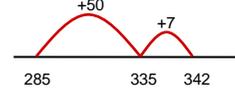
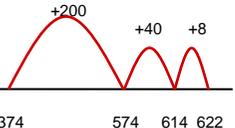
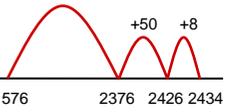
Recording

## EXPECTATIONS

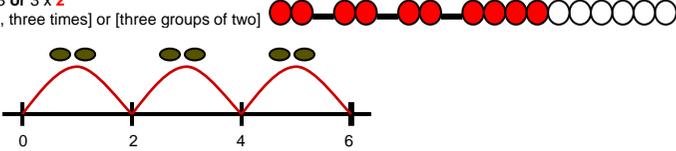
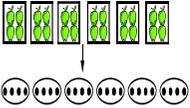
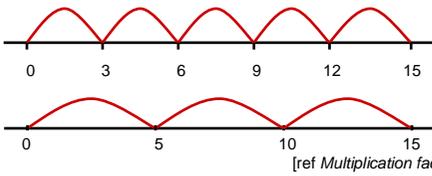
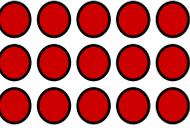
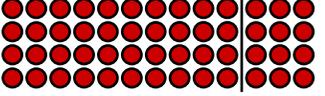
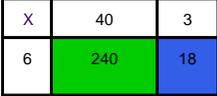
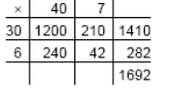
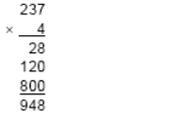
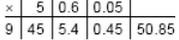
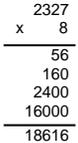
Rapid Recall

Mental calculation

Estimation and checking

YR	Addition as 'combining 2 groups'	Practical / recorded using ICT (eg digital photos / pictures on IWB)	Pictures / Objects I eat 2 cakes and my friend eats 3. How many cakes did we eat altogether?  <div style="border: 1px solid black; padding: 2px; display: inline-block; margin-left: 20px;">                         Might be recorded as:  <math>2 + 3 = 5</math> </div>		Symbols 8 people are on the bus. 5 more get on at the next stop. How many people are on the bus now?  [Might be recorded as: $8 + 5 = 13$ ]	1 more (nos up to 10)	(see recording)	
Y1	Addition as 'counting on'  U + U (bridging 10)  TU + U (bridging 20)	Practical / recorded using ICT	Pictures / Symbols (see above) $18 + 5 = 23$ 	Number track / Number line – jumps of 1 (modelled using bead strings) $18 + 5 = 23$  	Number line (efficient jumps) $18 + 5$ 	No number line $18 + 5$ $18 + 2 = 20$ $20 + 3 = 23$	Pairs to 10 Facts up to 5 1 / 10 more than a number	U + multiple of 10 TU + multiple of 10 +9 (by +10, -1)
Y2	TU + TU (bridging 10s)	Pictures / Symbols $23 + 12 = 35$ 	Number line (efficient jumps) $35 + 47$  [Also jumps can be in 10s and 1s]		No number line $35 + 47$ $47 + 30 = 77$ $77 + 3 = 80$ $80 + 2 = 82$	Partitioning $35 + 47$ $40 + 30 = 70$ $7 + 5 = 12$	Bonds up to 10 Pairs to 20 Pairs to 100 (using multiples of 10)	TU + U / multiple of 10 U + U + U
Y3	TU + TU (bridging 100) HTU + TU (not bridging 1000) HTU + HTU (not bridging 1000)	Number line $57 + 285 = 342$ 	No number line $57 + 285$ $285 + 50 = 335$ $335 + 7 = 342$	Partitioning $57 + 285$ $200 + 0 = 200$ $80 + 50 = 130$ $5 + 7 = 12$	Expanded vertical $336 + 87 = 423$ $300 \text{ and } 30 \text{ and } 6$ $+ 80 \text{ and } 7$ <hr/> $300 \text{ and } 110 \text{ and } 13$	Expanded vertical $336$ $+ 87$ <hr/> $13$ $110$ <hr/> $300$ <hr/> $423$	Bonds to 20 / 100 Pairs of two-digit multiples of 10 Multiples of 50 that total 1000	TU + U / TU TU + near multiple of 10
Y4	HTU + TU HTU + HTU (incl bridging 1000)  Decimals: money (£7.85 + £3.49)	Number line $374 + 248 =$ 	No number line $374 + 248$ $374 + 200 = 574$ $574 + 40 = 614$ $614 + 8 = 622$	Partitioning $374 + 248$ $300 + 200 = 500$ $70 + 40 = 110$ $4 + 8 = 12$	Expanded vertical $374$ $+ 248$ <hr/> $12$ $110$ <hr/> $500$ <hr/> $622$	Compact vertical $374$ $+ 248$ <hr/> $622$	Bonds to 1000 Derive sums of pairs of multiples of 10 / 100 / 1000 (Multiples of 50 that total 1000) Pairs of fractions to 1	TU + TU (Pairs of multiples of 10 / 100 / 1000) Three, 2-digit multiples of 10 Two, three-digit multiples of 10
Y5	ThHTU + HTU  Decimals up to 2dp (23.7 + 48.56)	Number line $1576 + 858 =$ 	No number line $1576 + 858$ $1576 + 800 = 2376$ $2376 + 50 = 2426$ $2426 + 8 = 2434$	Partitioning $1576 + 858$ $1000 + 0 = 1000$ $500 + 800 = 1300$ $70 + 50 = 120$ $6 + 8 = 14$	Expanded vertical $23.70$ $+ 48.56$ <hr/> $0.06$ $1.20$ <hr/> $11.00$ <hr/> $60.00$ <hr/> $72.26$	Compact vertical $23.70$ $+ 48.56$ <hr/> $72.26$	(derive) Bonds up to 1 (2dp) (derive) Bonds up to 10 (1dp)	Decimal + Decimal (eg 19.7 + 3.4)
Y6	Consolidate / extend Y5 including: Three numbers Decimals up to 3dp (context: measures)	Number line $3.243 \text{ km} + 18.07 \text{ km} =$	No number line $3.243 \text{ km} + 18.07 \text{ km}$ $18.07 + 3 = 21.07$ $21.07 + 0.2 = 21.27$ $21.27 + 0.04 = 21.31$ $21.31 + 0.003 = 21.313$	Partitioning $3.243 \text{ km} + 18.07 \text{ km}$ $3 + 18 = 21$ $0.2 + 0.0 = 0.2$ $0.04 + 0.07 = 0.11$ $0.003 + 0 = 0.003$	Expanded vertical $3.243$ $+ 18.070$ <hr/> $0.003$ $0.110$ <hr/> $0.200$ <hr/> $21.000$	Compact vertical $3.243$ $+ 18.070$ <hr/> $21.313$	(as above)	Integer / decimal (1dp) + Integer / decimal (1dp)

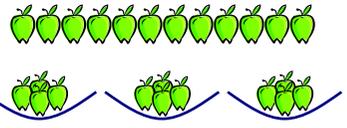
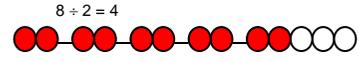
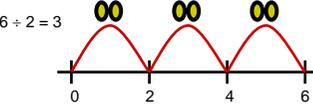
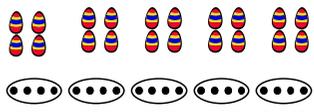
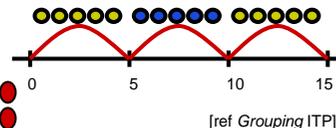
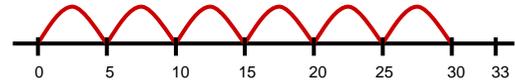
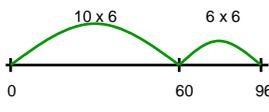
# EXPECTATIONS

YR	Count repeated groups of the same size (1s / 2s / 5s / 10s) <i>ref Overview of learning 5</i>	Practical / recorded using ICT (eg digital photos / pictures on IWB)	Pictures / Objects 3 plates, 2 cakes on each plate: 	Symbols 3 plates, 2 cakes on each plate: 	Counting on in 1s and 2s	(see recording)	
Y1	Solve (practical) problems that involve combining groups of 2, 5 or 10	Practical / recorded using ICT	Pictures / Symbols There are three sweets in one bag. How many sweets are there in five bags? 	Number tracks / Number line (modelled using bead strings) $2 \times 3$ or $3 \times 2$ [two, three times] or [three groups of two] 	Count on / back in 1s, 2s, 5s and 10s Doubles of numbers to 10	(see recording)	
Y2	Multiplication as repeated addition and arrays	Pictures / Symbols There are four apples in each box. How many apples in six boxes? 	Repeated addition $5 \times 3$ or $3 \times 5$  [ref Multiplication facts ITP]	Arrays $5 \times 3$ or $3 \times 5$  Also $14 \times 2$ as $(10 \times 2$ and $4 \times 2)$	Count in 2s, 5s and 10s Derive multiples of 2, 5 & 10 Relate to x facts (and derive related ÷ facts) Doubles of numbers to 20	Doubles of TU numbers	
Y3	TU x U (eg $13 \times 4$ )	Arrays $13 \times 4$  $10 \times 4 = 40$ $3 \times 4 = 12$ [ref Arrays spreadsheet]	Expanded grid method $13 \times 4$ 	Compact grid method $13 \times 4$ 	Partitioning (possible use of number line to record steps) $13 \times 4 = 52$ $10 \times 4 = 40$ $3 \times 4 = 12$	Derive / recall 2, 3, 4, 5, 6 and 10 times tables (Derive related division facts) Recognise multiples of 2, 5 and 10 up to 1000	U / TU x 10 / 100 (describe the effect) Doubles of TU / HTU numbers
Y4	<b>Record, support and explain:</b> TU x U (eg $16 \times 8$ ; $43 \times 6$ )	Partitioning $43 \times 6$ (estimate: $40 \times 6 = 240$ ) $40 \times 6 = 240$ $3 \times 6 = 18$	Compact grid method $43 \times 6$  [ref Multiplication grid ITP]	Expanded vertical $43$ $\times 6$ $18$ ( $3 \times 6$ ) $240$ ( $40 \times 6$ ) $258$	Compact vertical $43$ $\times 6$ $258$	Derive / recall facts to $10 \times 10$ Multiples of numbers to 10 up to the $10^{\text{th}}$ multiple	Numbers up to $1000 \times 10 / 100$ (whole number answers and understand the effect) Doubles of TU / HTU numbers and multiples of 10 / 100
Y5	<b>Refine and use efficient methods:</b> HTU x U TU x TU U.t x U	Grid method $47 \times 36$ (estimate: $50 \times 40 = 2000$ )  1692	Expanded vertical $237 \times 4$ (estimate: $250 \times 4 = 1000$ )  948	Compact vertical $4.7 \times 8$ (estimate: $5 \times 8 = 40$ )  37.6	Recall quickly facts to $10 \times 10$ Use facts to multiply pairs of multiples of 10 / 100 Use known facts to derive other facts [Find common multiples of two numbers]	TU x U (eg $12 \times 9$ ) TU x TU (eg $16 \times 25$ ) Doubles of U.t / 0.th Multiply whole numbers / decimals by 10 / 100 / 1000	
Y6	<b>Use efficient methods:</b> Integer x U (eg $2307 \times 8$ ) Decimal x U (eg $31.6 \times 7$ ) TU x TU HTU x TU	Grid method $5.65 \times 9$ (estimate: $6 \times 9 = 54$ )  Answer: $5.65 \times 9 = 50.85$	Expanded vertical $2327 \times 8$ (estimate: $2300 \times 10 = 23\ 000$ )  18616	Compact vertical $256 \times 18$ (estimate: $250 \times 20 = 5000$ )  Answer: $256 \times 18 = 4608$	Use facts up to $10 \times 10$ to derive facts involving multiples of 10 / 100 (eg $80 \times 30$ ) and decimals (eg $0.8 \times 7$ ) Derive squares of numbers to $12 \times 12$ Derive corresponding squares of multiples of 10	TU x U U.t x U Integer x 1000 / 100 / 10 / 0.1 / 0.01	

Estimate first

EXPECTATIONS

Estimate first

<p>YR</p> <p>Share objects into equal groups and count how many in each group</p> <p>ref: <i>Overview of learning 10</i></p>	<p>Practical / recorded using ICT (eg digital photos / pictures on IWB)</p>	<p>Pictures / Objects</p> <p>6 cakes shared between 2</p>  <p>6 cakes put into groups of 2</p> 	<p>Symbols</p> <p>6 cakes shared between 2</p>  <p>6 cakes put into groups of 2</p> 			<p>(see recording)</p>	
<p>Y1</p> <p>Solve (practical) problems that involve sharing into equal groups</p>	<p>Practical / recorded using ICT</p>	<p>Pictures / Symbols</p> <p>How many apples in each bowl if I share 12 apples between 3 bowls?</p> 	<p>Number tracks / Number line (modelled using bead strings)</p> <p><math>8 \div 2 = 4</math></p>  <p><math>6 \div 2 = 3</math></p> 		<p>Halves of even numbers to 10</p>	<p>(see recording)</p>	
<p>Y2</p> <p>Division as sharing and grouping (including remainders)</p> <p><math>TU \div U</math> (where divisor is 2, 5 or 10)</p>	<p>Pictures / Symbols</p> <p>Four eggs fit in a box. How many boxes would you need to pack 20 eggs?</p> 	<p>Number lines / Arrays</p> <p><math>15 \div 5</math></p>  <p>[ref <i>Grouping ITP</i>]</p>	<p>Partitioning</p> <p><math>28 \div 2</math></p> <p><math>20 \div 2 = 10</math></p> <p><math>8 \div 2 = 4</math></p>		<p>Derive / recall <math>\div</math> facts for 2, 5 and 10 tables</p> <p>Derive / recall halves of even numbers to 20</p>	<p><math>TU \div 2</math></p>	
<p>Y3</p> <p><math>TU \div U</math> (where divisor is 2, 3, 4, 5, 6 or 10)</p> <p>Round remainders up / down, depending on the context</p>	<p>Number lines (start from zero)</p> <p><math>33 \div 5 = 6 \text{ r}3</math></p> 	<p>Partitioning (multiples of the divisor)</p> <p><math>50 \div 4 = 12 \text{ r}2</math></p> <p><math>10 \times 4 = 40</math></p> <p><math>2 \times 4 = 8 \text{ (48)}</math></p> <p>[ref <i>Number dials ITP</i>]</p>		<p>Derive / recall <math>\div</math> facts for 2, 3, 4, 5, 6 and 10 tables</p> <p>Derive / recall halves of even numbers to 40</p>	<p><math>TU / HTU \div 2</math></p>		
<p>Y4</p> <p><b>Record, support and explain:</b></p> <p><math>TU \div U</math> (eg <math>98 \div 6</math>)</p>	<p>Number lines (start from zero)</p> <p><math>96 \div 6 = 16</math></p> 	<p>Partitioning (multiples of the divisor)</p> <p><math>67 \div 4 = 16 \text{ r}3</math></p> <p><math>10 \times 4 = 40</math></p> <p><math>6 \times 4 = 24 \text{ (64)}</math></p>	<p>Grouping (vertical layout)</p> <p><math>96 \div 7</math></p> <p><math>\begin{array}{r} 96 \\ -70 \\ \hline 26 \\ -21 \\ \hline 5 \end{array}</math> (7 <math>\times</math> 10)</p> <p><math>\begin{array}{r} 96 \\ -70 \\ \hline 26 \\ -21 \\ \hline 5 \end{array}</math> (7 <math>\times</math> 3)</p> <p>Answer: 13 R 5</p>		<p>Derive / recall <math>\div</math> facts up to the 10 times table</p>	<p>Numbers up to <math>1000 \div 10 / 100</math> (whole number answers and understand the effect)</p> <p>Halves of <math>TU / HTU</math> numbers and multiples of <math>10 / 100</math></p>	
<p>Y5</p> <p><b>Refine and use efficient methods:</b></p> <p><math>HTU \div U</math></p>	<p>Grouping (expanded)</p> <p><math>6 \overline{)196}</math></p> <p><math>\begin{array}{r} -60 \\ \hline 136 \\ -60 \\ \hline 76 \\ -60 \\ \hline 16 \\ -12 \\ \hline 4 \end{array}</math> (6 <math>\times</math> 10)</p> <p>Answer: 32 R 4</p> <p>'Empty' number line (start from 0) may be used to record calculation strategy</p>	<p>Grouping (efficient)</p> <p><math>346 \div 8</math></p> <p>(estimate: <math>400 \div 8 = 50</math>)</p> <p><math>\begin{array}{r} 8 \overline{)346} \\ -320 \\ \hline 26 \\ -24 \\ \hline 2 \end{array}</math> (8 <math>\times</math> 40)</p> <p><math>\begin{array}{r} 26 \\ -24 \\ \hline 2 \end{array}</math> (8 <math>\times</math> 3)</p> <p>Answer: 43 R 2</p>	<p>Partitioning</p> <p><math>247 \div 7 = 35 \text{ r}2</math></p> <p><math>30 \times 7 = 210</math></p> <p><math>5 \times 7 = 35 \text{ (245)}</math></p>	<p>'Short' division</p> <p><math>291 \div 3</math> (estimate: <math>270 \div 3 = 90</math>)</p> <p><math>\begin{array}{r} 90 + 7 \\ 3 \overline{)290 + 1} = 3 \overline{)270 + 21} \\ \hline 97 \\ 3 \overline{)291} \end{array}</math></p> <p>This is then shortened to:</p> <p><math>\begin{array}{r} 97 \\ 3 \overline{)291} \end{array}</math></p>		<p>Recall quickly <math>\div</math> facts up to 10 times table</p>	<p>Divide using factors of the divisor (eg <math>\div 8</math> by <math>\div 2</math> and then <math>\div 4</math>)</p> <p>Divide numbers by <math>10 / 100 / 1000</math> (describe the effect)</p> <p>Halves of <math>U.t / 0.th</math></p>
<p>Y6</p> <p><b>Use efficient methods:</b></p> <p>Integer <math>\div U</math> (eg <math>123 \div 7</math>)</p> <p>Decimal <math>\div U</math> (eg <math>27.6 \div 8</math>)</p> <p><math>HTU \div TU</math></p>	<p>Grouping (efficient)</p> <p><math>25.6 \div 8</math></p> <p>(estimate: <math>24 \div 8 = 3</math>)</p> <p><math>\begin{array}{r} 8 \overline{)25.6} \\ -24.0 \\ \hline 1.6 \\ -1.6 \\ \hline 0 \end{array}</math> (8 <math>\times</math> 3.0)</p> <p><math>\begin{array}{r} 1.6 \\ -1.6 \\ \hline 0 \end{array}</math> (8 <math>\times</math> 0.2)</p> <p>Answer: <math>25.6 \div 8 = 3.2</math></p> <p>'Empty' number line may still be used</p>	<p>'Short' division</p> <p><math>43.4 \div 7</math></p> <p>(estimate: <math>42 \div 7 = 6</math>)</p> <p><math>\begin{array}{r} 6.2 \\ 7 \overline{)43.4} \end{array}</math></p>	<p>Partitioning</p> <p><math>43.4 \div 7 = 6.2</math></p> <p><math>6 \times 7 = 42</math></p> <p><math>0.2 \times 7 = 1.4 \text{ (43.4)}</math></p>	<p>'Long' division</p> <p><math>560 \div 24</math> (estimate: <math>550 \div 25 = 22</math>)</p> <p><math>\begin{array}{r} 23 \\ 24 \overline{)560} \\ -480 \\ \hline 80 \\ -72 \\ \hline 8 \end{array}</math></p> <p>Answer: 23 R 8</p>		<p>Derive <math>\div</math> facts involving multiples of <math>10 / 100</math> (eg <math>240 \div 30</math>) and decimals (eg <math>4.8 \div 6</math>)</p>	<p>Divide using factors of the divisor (eg <math>\div 15</math> by <math>\div 5</math> and then <math>\div 3</math>)</p> <p><math>TU \div U</math></p> <p><math>U.t \div U</math></p> <p>Integer <math>\div 1000 / 100 / 10</math></p>

